(43) a) 2.80 sec
b) 7.18 ft
c) in your words.
(47) no! about. 9 ft
(44) a) no.. 5.4 ft Short
b) no...too high
(45) a) yes!
b) by $\approx 1.59 \mathrm{ft}$
(50) a) 506.25 ft
b) 650.82 ft
c) 775.82 ft
d) 876.85 ft
(43) a) $400=(150 \cos 18) t$
$t=2.80 \mathrm{sec}$
b) $\begin{aligned} & y=-16(2.80)^{2} \\ & y=7.18 \mathrm{ft}\end{aligned}+(150 \sin 18)(2.80)+3$
c) an outfielder can jump or reach a height of 7.18 . If
the bal was hit at $20^{\circ}$, IT would have hit the wall,
19.74 - an outfielder courdn't
jump that high
(45) $x=(120 \cos 30+5) t$
$y=-16 t^{2}+(120 \sin 30) t+4$
a) $350=(120 \cos 30+5) t$ $t=3.21$
$y=31.59 \mathrm{ft}$ YES!!
b) by $\approx 1.59 \mathrm{ft}$
(50) $x=(180 \cos \theta) t$
$y=-16 t^{2}+(180 \sin \theta) t$
a) $0=-16 t^{2}+(180 \sin 15) t$
$t=2.811$
$y=506.25 \quad$ c) 775.82 ft
b) 650.82 ft
d) 876.85 ft

$x$ ㄴft $\bar{x} \Rightarrow \cos 30=\frac{x}{120}$
$x=(120 \cos 30) t$
$y=-16 t^{2}+(120 \sin 30) t+4$
a) $350=(120 \cos 30) t$
$t=3.37 \mathrm{sec}$
$y=-16(3.37)^{2}+(120 \sin 30)(3.37)+4$
$y=24.59 \mathrm{ft}$
No .. 5.4 ft Short
b) No...can't be caught
(too high on the wall)


$$
x=(30 \cos 70) t
$$

$$
y=-16 t^{2}+(30 \sin 70) t+3
$$

$$
0=-16 t^{2}+(30 \sin 70) t+3
$$

$$
t=1.86 \mathrm{sec}
$$

$x=(30 \cos 70)(1.86)$
$x=19.11 \mathrm{ft} \quad$ No about. 9 ft

