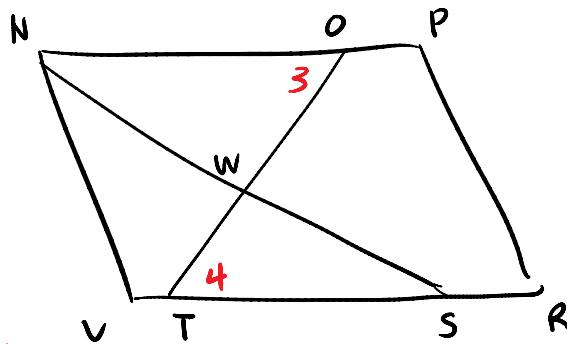


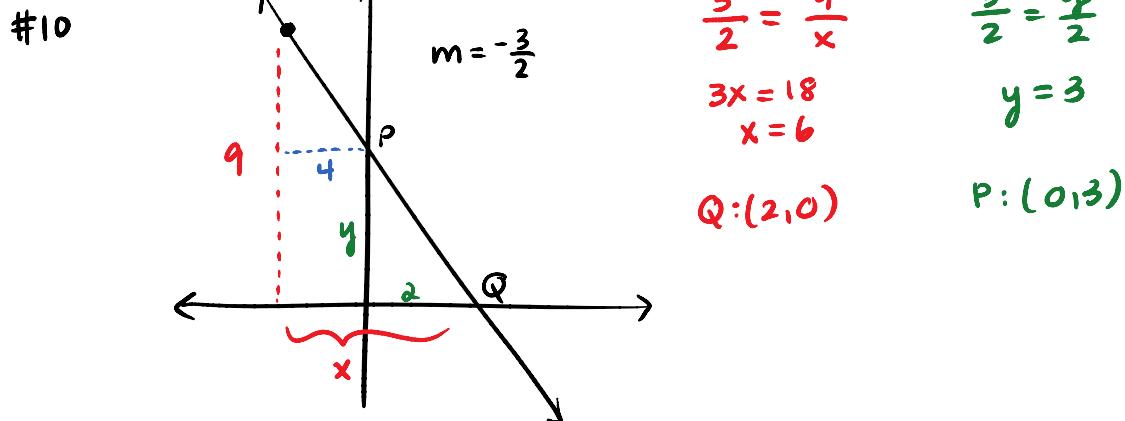
#3 Given: N P R V is a  $\square$   
 Conc:  $\triangle N W O \sim \triangle S W T$

1. N P R V is a  $\square$
2.  $\angle N W O \cong \angle S W T$  (A)
3.  $\overline{N P} \parallel \overline{S R}$
4.  $\angle 3 \cong \angle 4$  (A)
5.  $\triangle N W O \sim \triangle S W T$

1. Given
2. V.A. are  $\cong$
3. If  $\square \rightarrow$  opp. sides  $\parallel$
4. If  $\parallel$  lines then alt int  $\&$ s  $\cong$
5. AA  $\sim$



#8 In  $\triangle F G H$   $F G = 6$   $G H = 8$   $F H = 12$   
 $\triangle F' G' H'$   $F' G' = 15$   $G' H' = 20$   $F' H' = 30$   
 Similar? Yes! by SSS~

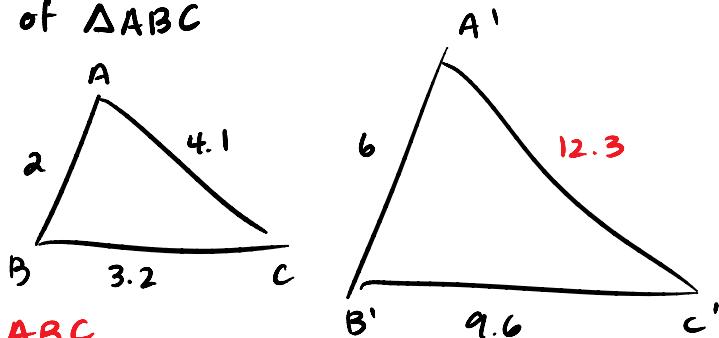


#11 Given  $\triangle A' B' C'$  is not a dilation of  $\triangle ABC$

Prove:  $A' C' \neq 12.3$

Assume  $A' C' = 12.3$

$$\text{Then: } \frac{6}{2} = \boxed{3} \quad \frac{12.3}{4.1} = \boxed{3} \quad \frac{9.6}{3.2} = \boxed{3}$$



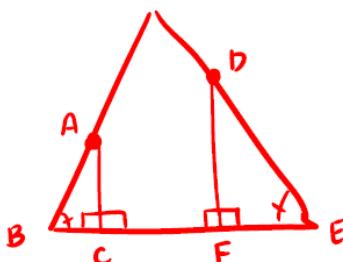
So  $\triangle A' B' C'$  would be a dilation of  $\triangle ABC$  by a factor of 3 by SSS~

but this contradicts our given: our assumption is false and  $A' C' \neq 12.3$

# 16 Indicate whether the statement is true Always, Sometimes, or Never (A, S, or N)

- If two triangles are similar, then they are congruent. **S**
- If two triangles are congruent, then they are similar. **A**
- An obtuse triangle is similar to an acute triangle. **N**
- Two right triangles are similar. **S**
- Two equilateral polygons are similar. **S**
- Two equilateral triangles are similar. **A**
- Two rectangles are similar if neither is a square. **S**

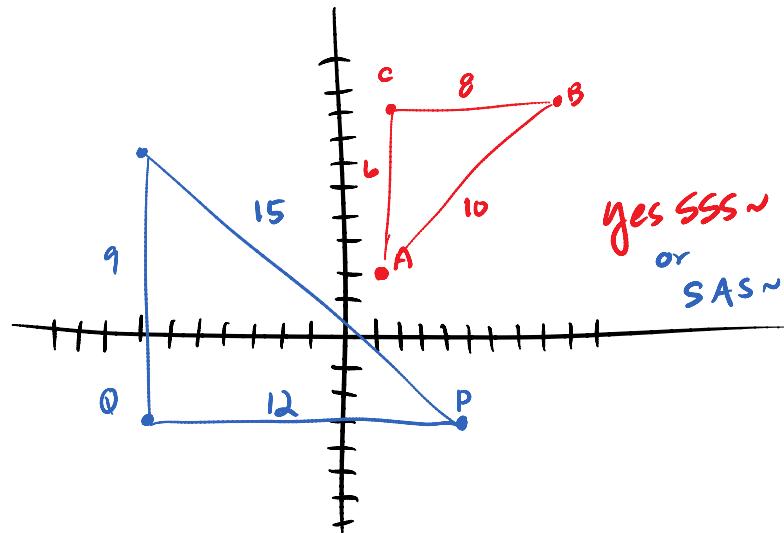
#17 From two points, one on each leg of an isosceles triangle, perpendiculars are drawn to the base. Prove that the triangles formed are similar.



$\triangle ABC \sim \triangle DEF$  by AA~

#18

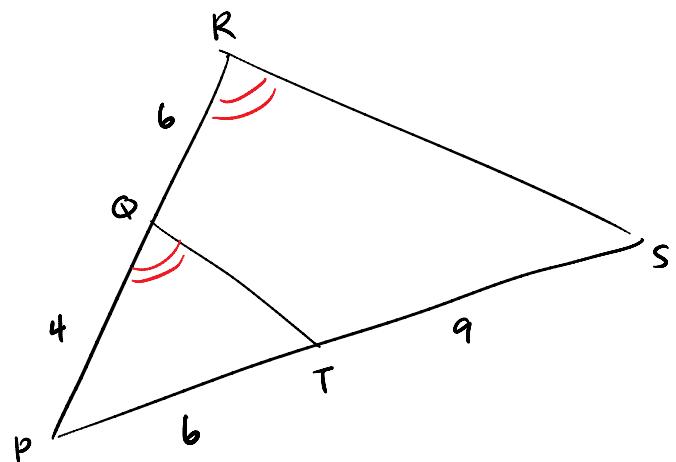
$$\begin{aligned} A &= (1, 2) \\ B &= (9, 8) \\ C &= (1, 8) \\ P &= (5, -3) \\ Q &= (-7, 6) \\ R &= (-7, -3) \\ AB &= 10 \\ PQ &= 15 \end{aligned}$$



#19

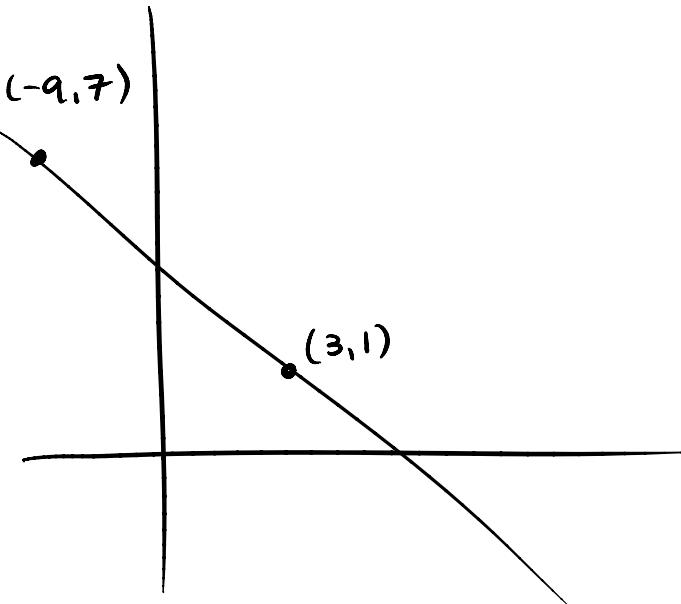
a. Is  $\triangle PQT \sim \triangle PRS$  Yes, SAS~

b. Is  $\overline{QT} \parallel \overline{RS}$  Yes, if corr & s =  $\rightarrow$  || lines



#20 a. slope?

$$m = \frac{7-1}{-9-3} = \frac{6}{-12} = -\frac{1}{2}$$



b. As the x values of points on the line increase by 3, how much do the y values increase or decrease

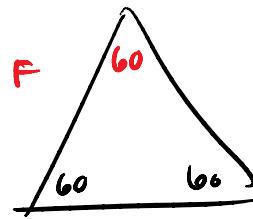
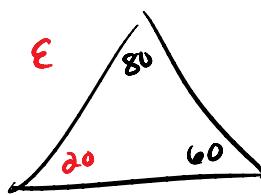
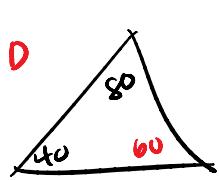
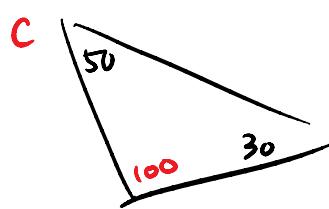
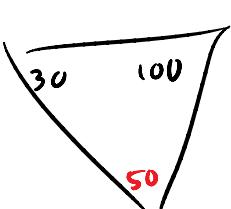
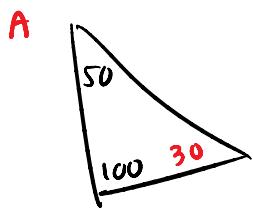
$$\frac{\Delta y}{\Delta x} = -\frac{1}{2} = \frac{y}{3}$$

$$2y = -3$$

$$y = -\frac{3}{2}$$

decrease by 1.5

#22



- AB**   **BC**   **CD**   **DE**   **EF**   **4/15** ☺
- AC**   **BD**   **CE**   **DF**
- AD**   **BE**   **CF**
- AE**   **BF**
- AF**