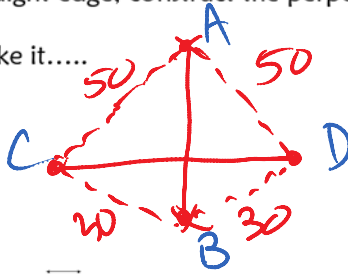


Notes

Thursday, October 31, 2013
6:26 AM

4.4 Equidistance Theorems

- Using a compass and straight edge, construct the perpendicular bisector of a segment.
- Some other ways to make it.....

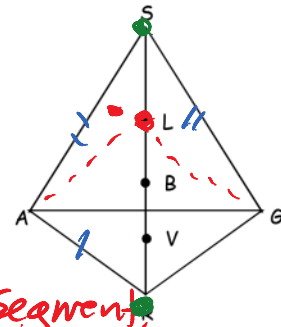


In the diagrams above, \overline{AB} is the perpendicular bisector of \overline{CD}

For your proofs!

Theorem: If 2 pts are equidistant from the endpoints of a seg., then they determine the \perp bis of that segment.

Theorem: If a pt. is on the \perp bis of a seg., then it is equidistant from the endpoints of that segment.

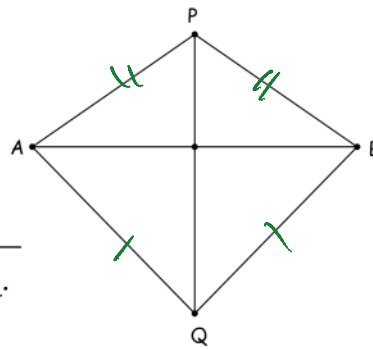


Equidistant means _____.

Look at some examples of these theorems:

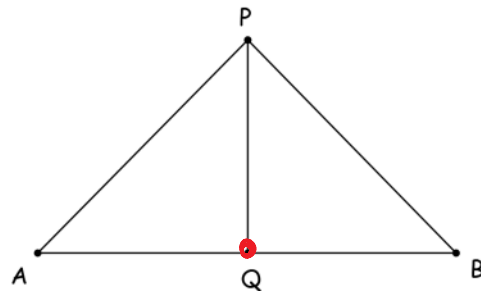
- If $\overline{PA} \cong \overline{PB}$ and $\overline{QA} \cong \overline{QB}$,

Then, \overline{PQ} is the \perp bisector of \overline{AB} ,
because \overline{P} is equidistant from \overline{A} and \overline{B}
and \overline{Q} is equidistant from \overline{A} and \overline{B} .



- If \overline{PQ} is the \perp bisector of \overline{AB}

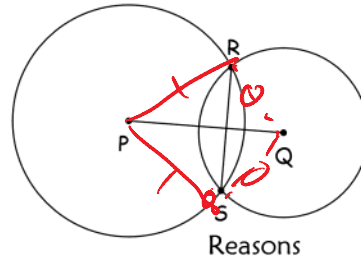
Then $\overline{PA} \cong \overline{PB}$
and $\overline{AQ} \cong \overline{BQ}$.



The theorem we just proved can SIGNIFICANTLY shorten some proofs, if you can see when to apply it. Let's look at some together.

Given: Circles P and Q

Prove: \overline{PQ} is the \perp bisector of \overline{RS}



Statements

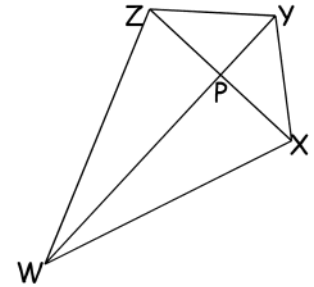
Reasons

- 1) $\odot P$ $\odot Q$
- 2) Draw \overline{RP} , \overline{SP} , \overline{SQ} , \overline{RQ}
- 3) $\overline{PR} \cong \overline{PS}$
- 4) $\overline{RQ} \cong \overline{QS}$
- 5) \overline{PQ} is the \perp bis of \overline{RS}

- 1) Given
- 2) 2 pts. Determine a line
- 3) All radii are \cong
- 4) " "

2. Given: $WX \cong WZ$
 $XY \cong YZ$

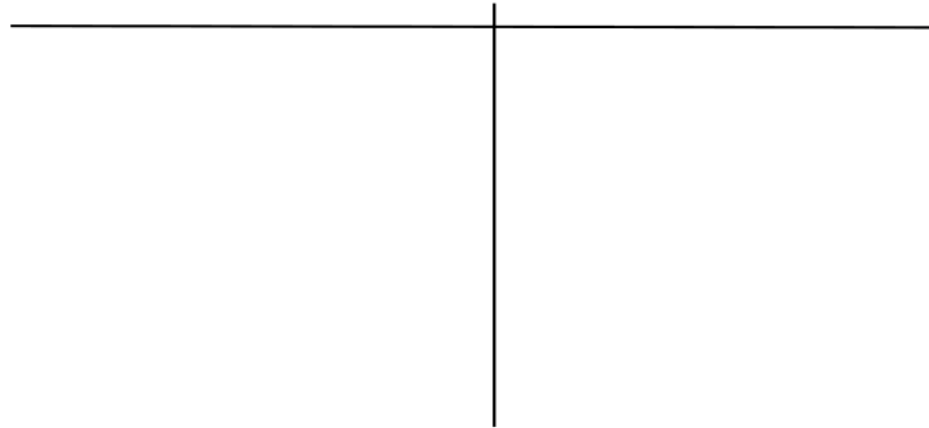
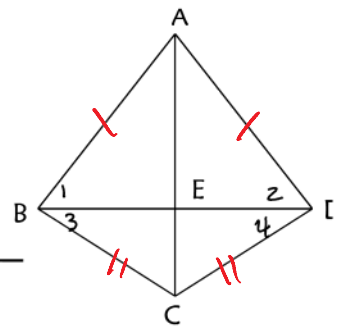
Prove: $\triangle WPZ$ is a right triangle



Statements

Reasons

3. Given: $\angle 1 \cong \angle 2$
 $\angle 3 \cong \angle 4$
 Prove: \overline{AE} is the \perp bisector of \overline{BD}



4. Given: $\overline{AD} \perp \overline{BC}$
 Prove: $\triangle ABE \cong \triangle ACE$

