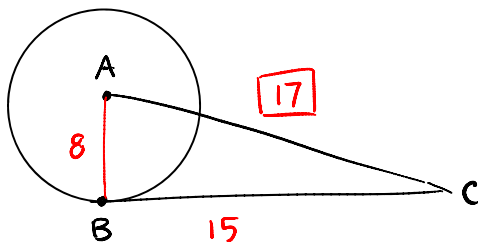
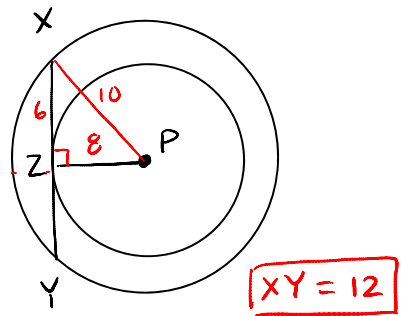


10.4 HOMEWORK Pg 463 #5, 6, 10-14, 16, 17, 22, 23

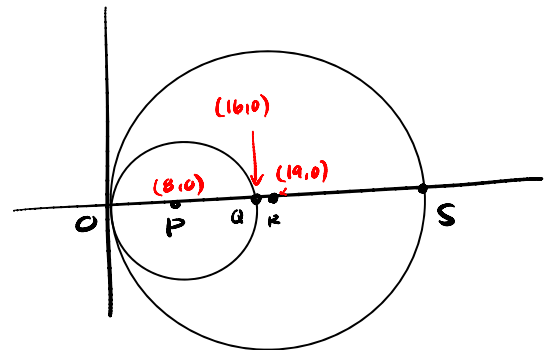
#1



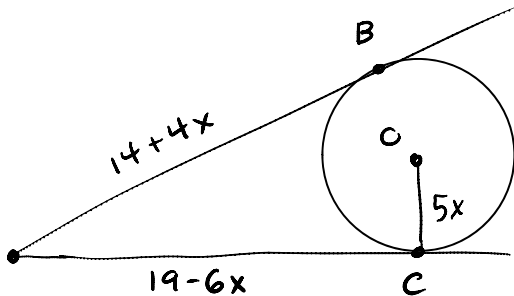
#2



- #5 $\odot P$ and $\odot R$ are internally tangent at O.
 a. Find the coordinate of Q and S
 b. Find the length of QR 3



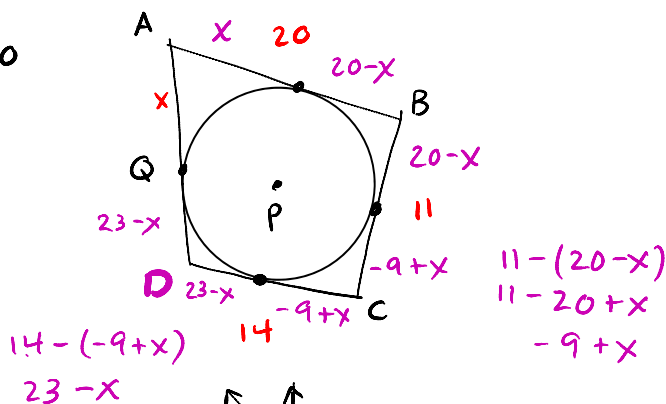
#6



\overline{AB} and \overline{AC} are tangents to $\odot O$
 Find OC

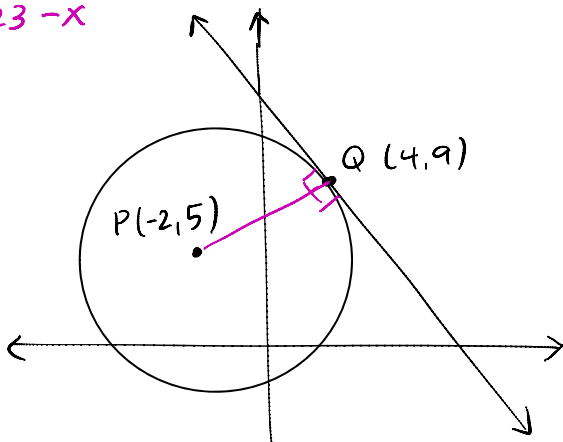
$$\begin{aligned} 14 + 4x &= 19 - 6x \\ 10x &= 5 \\ x &= \frac{1}{2} \end{aligned} \quad \begin{aligned} OC &= 5x \\ &= 5\left(\frac{1}{2}\right) \\ &= \boxed{2.5} \end{aligned}$$

#10



$$\begin{aligned} AD &= x + 23 - x \\ &= \boxed{23} \end{aligned}$$

#11

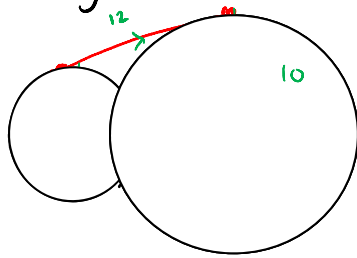


$$\text{Slope}_{PQ} = \frac{9-5}{4-(-2)} = \frac{4}{6} = \frac{2}{3}$$

$$\perp \text{ slope} = -\frac{3}{2} \quad (\text{opposite reciprocal!})$$

#13 The centers of 2 circles of radii 10cm and 5cm are 13cm apart.

a.) Find the length of a common external tangent

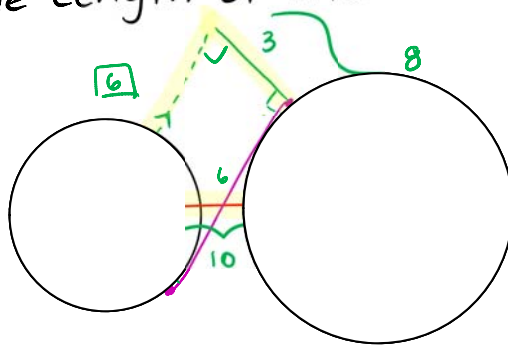


$$x = 12$$

$$(5, 12, 13)$$

b.) Do the circles intersect — YES! - overlap.

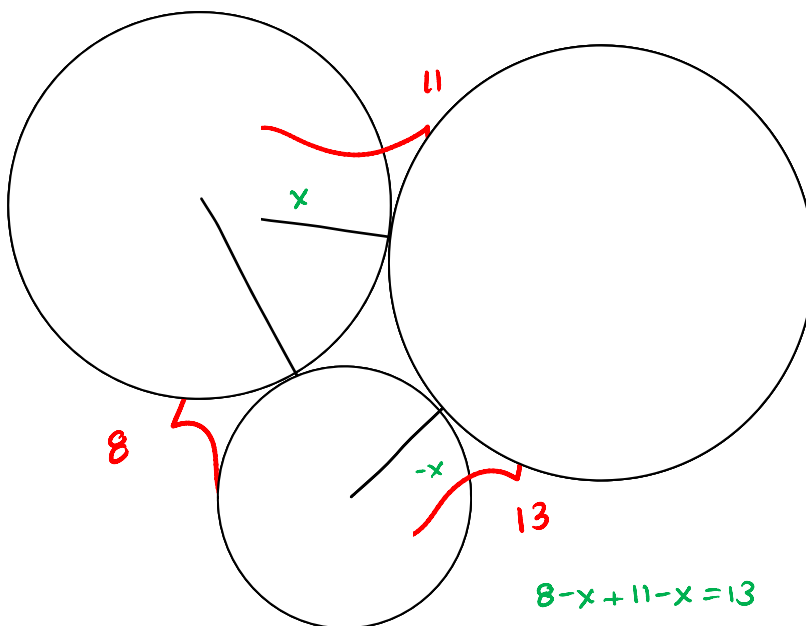
#14 The centers of 2 circles with radii 3 and 5 are 10 units apart. Find the length of the common internal tangent.



$$(3, 4, 5) * 2$$

$$x = 6$$

#16



$$8 - x + 11 - x = 13$$

$$19 - 2x = 13$$

$$-2x = -6$$

$$x = 3$$

$$\text{Radius } OA = 3$$

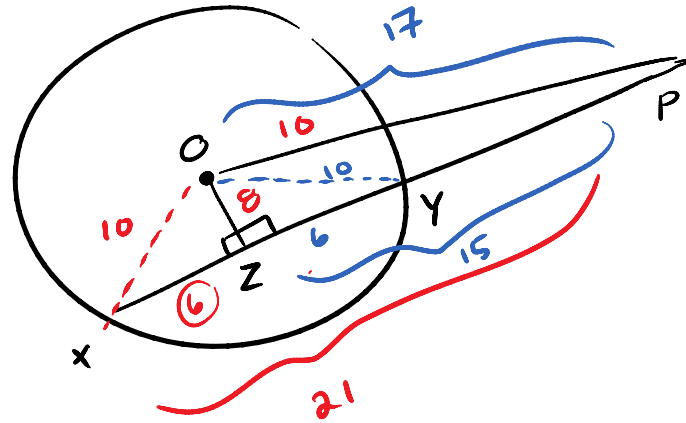
$$OB = 5$$

$$OC = 8$$

- #17 The radius of $\odot O$ is 10.
The secant segment \overline{PX} measures 21 and is 8 units from the center of the circle

a. Find PY $15 - 6 = \boxed{9}$

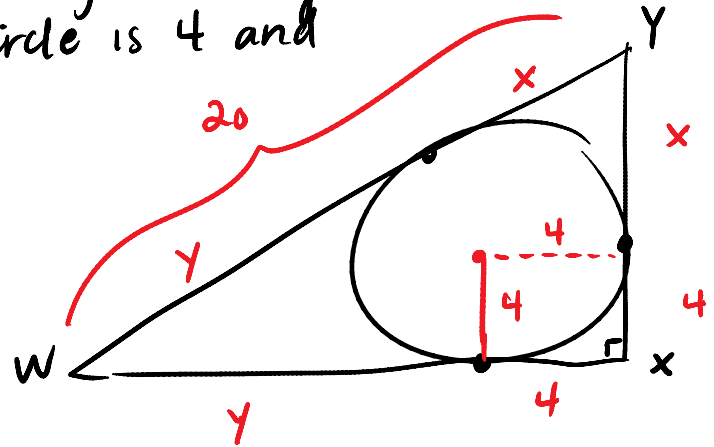
b Find OP $\boxed{17}$



- #22 Find the perimeter of a right $\triangle WXY$ if the radius of the circle is 4 and $WY = 20$

$$x + y = 20$$

$$\begin{aligned} \text{Per } \triangle WXY &= x + y + x + y + 4 + 4 \\ &= 20 + 20 + 8 \\ &= \boxed{48} \end{aligned}$$



- #23 B is 34mm from the center of circle O, which has a radius 16mm. \overline{BP} and \overline{BR} are tangent segments. \overline{AC} is tangent to $\odot O$ at point Q. Find the perimeter of $\triangle ABC$

$$P_{\triangle BCA} = BC + CA + AB$$

$$P_{\triangle BCA} = BP + BR$$

$$P_{\triangle BCA} = 60$$

